## Extra-Mixing in Luminous Cool Red Giants. Hints from Evolved Stars with and without Li.

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Abstract: We present an analysis of Li abundances in low mass stars (LMS) during the Red Giant Branch (RGB) and Asymptotic Giant Branch (AGB) stages, based on a new determination of their luminosities and evolutionary status. By applying recently suggested models for extra-mixing, induced by magnetic buoyancy, we show that both Li-rich and Li-poor stars can be accounted for. The simplest scenario implies the development of fast instabilities on the RGB, where Li is produced. When the fields increase in strength, buoyancy slows down and Li is destroyed. <sup>3</sup>He is consumed, at variable rates. The process continues on the AGB, where however moderate mass circulation rates have little effect on Li due to the short time available. O-rich and C-rich stars show different histories of Li production/destruction, possibly indicative of different masses. More complex transport schemes are allowed by magnetic buoyancy, with larger effects on Li, but most normal LMS seem to show only the range of Li variation discussed here.

Keywords: Stars: evolution; Stars: Red giants; Stars: AGB; Nucleosynthesis; Infrared Photometry

#### 1 Introduction

Most K-type giants are depleted in lithium. For low-metallicity objects an upper limit on the Li content was set by Gratton et al. (2000), stating that field, metal-poor (hence low-mass) stars on the upper RGB have  $\log \epsilon(\text{Li}) \leq 0$ 

Mixing processes on the Main Sequence and up to the first dredge-up imply that Li be gradually carried down from the photosphere to regions of high temperature and destroyed, while any amount of <sup>7</sup>Be produced by H burning burns "on the flight" and new Li is not produced. The observations of Li-poor red giants are therefore well understood. It was further established three decades ago (Sweigart & Mengel 1979) and supported by many observations (e.g. Gilrov 1989; Gilroy & Brown 1991; Kraft 1994) that, after the first dredge-up, low mass stars must experience other mixing episodes, sufficiently slow to gradually carry to the surface a considerable amount of <sup>13</sup>C, so that the  $^{12}\mathrm{C}/^{13}\mathrm{C}$  ratio decreases from 25-30 at the first dredgeup, down to 12-15 (in population I stars) or to 4-8 (in population II red giants). The occurrence of these mixing phenomena is made easy by the fact that, after dredge-up, the H burning shell advances in a homogeneous region, so that the natural barrier opposed to mass transport by a chemical stratification is not present. The onset of this phase is accompanied by a local decrease in the luminosity, followed by a new rise, so that the same regions in the H-R diagram are crossed repeatedly and the points representing coeval stars pile up, producing a bump in the Luminosity Function. This is the so-called "L-bump phase".

Any slow mixing process occurring at or after the

L-bump would further reduce not only Li, but also <sup>9</sup>Be and <sup>3</sup>He (Sackmann & Boothroyd 1999), as confirmed by observations (Castilho 2000). However, a few red giants (about 2%) show enhanced Li abundances, at levels sometimes higher than in the present Interstellar Medium (log  $\epsilon(Li) \simeq 3.3$ ). Various explanations have been attempted, the most common assumption being that some form of fast extra-mixing might transport <sup>7</sup>Be from above the H-burning shell to the envelope at a speed sufficient to overcome the rate of pcaptures; this is the so-called Cameron-Fowler mechanism (Cameron & Fowler 1971). Further production of <sup>7</sup>Be along the path can also occur (Sackmann & Boothroyd 1999). Very often, the cause of such extra-mixing was looked after in the stellar rotation, inducing shear instabilities, meridional circulation and diffusion phenomena (Charbonnel 1994; Charbonnel & Do Nascimiento 1998; Denissenkov & VandenBerg 2003; Palacios et al. 2003). These possibilities were frustrated by the understanding that the stellar structure reacts to rotational distortions too quickly to induce significant mixing on long time scales (Palacios et al. 2006).

Recently, two old ideas on mass transport have been revisited, looking for alternative causes of deep circulation in stars. Both attribute mass transport to the presence, in deep layers, of materials lighter than in the envelope. The first mechanism (thermohaline diffusion) attributes this to the activation of the reaction  $^3\mathrm{He} + ^3\mathrm{He} - > ^4\mathrm{He} + 2\mathrm{p}$  (Eggleon, Dearborn & Lattanzio 2006), reducing the molecular weight. The second process is the buoyancy of magnetized H-burning ashes (Busso et al. 2007a; Wasserburg & Busso 2008; Nordhaus et al. 2008), based on the fact that magnetic bubbles are

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lighter than the environment, due to the unbalance generated by magnetic pressure  $(B^2/8\pi)$ . This requires a magnetic dynamo to occur in red giants, as indeed observed (Andrews et al. 1988).

Triggering these mechanisms requires specific conditions: the first one needs a suitable molecular weight inversion; the second is possible if strong magnetic fields exist. The two processes might be complementary and even occur together (Denissenkov et al. 2009). However, while thermohaline mixing implies a diffusive, slow transport, magnetic buoyancy can occur at different speeds, depending on the amount of heat exchange with the environment (Denissenkov et al. 2009). Therefore, a possibility of understanding which mechanism is at play might be provided by observations of nuclei, like Li, for which the production and destruction are sensitive to the mixing velocity.

Such a test requires an accurate calibration of the luminosity of Li-bearing stars, in order to attribute them to the proper evolutionary stage. Therefore, we here apply bolometric corrections for evolved stars, as derived in our recent work, to infer the absolute HR diagram of red giants showing Li in their spectrum. This helps in setting constraints on where extra-mixing is active. In Section 2 we present a sample of cool red giants showing highly dispersed Li abundances, ranging from very Li-rich to very Li-poor, and we determine for them absolute magnitudes with the help of our bolometric corrections and of recent distance estimates. In Section 3 we compare the inferred magnitudes with the Li content, as taken from the literature and we present results of nucleosynthesis and mixing calculations, using the transport velocities suggested by magnetic buoyancy. Finally, in Section 4 preliminary conclusions are illustrated.

## 2 Bolometric Corrections and Li-abundances in Red Giants

Any growth in our understanding of AGB stars is today bound to improvements on two crucial parameters: luminosities and mass loss rates. For both, determinations are hampered by the large distance uncertainties; both are also affected by the fact that most of the radiation emitted by these sources can be observed only at infrared wavelengths and therefore depends on space-borne facilities, or maybe on the exploitation of special ground-based locations, like Antarctica (Guandalini, Tosti & Busso 2008).

In the last years we performed an extensive analysis of the photometric properties of AGB stars, using available infrared data from the ISO and MSX experiments and looking for relations between their luminosities and their main chemical and physical parameters. The aim of this work was to put constraints on basic stellar parameters, thus offering calibrating tools to evolutionary models. In this framework, large samples of C-rich, S-type, M-type AGB stars were collected and studied. The first results were published for carbonrich and S-type stars in Guandalini & Busso (2008); Busso et al. (2007b); Guandalini et al. (2006). In Figures 1 and 2 we present the bolometric corrections we

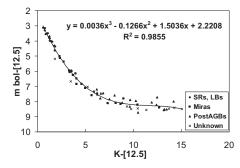


Figure 1: The bolometric correction for C stars, as a function of the infrared color K-[12.5].

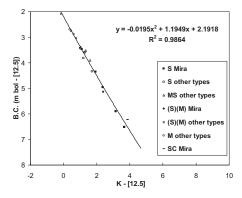


Figure 2: The bolometric correction for O-rich stars, derived from MS- and S-type red giants, as a function of the infrared color K-[12.5].

derived for samples of galactic C-rich and O-rich (S-type) stars, respectively. The techniques adopted and the source properties are described in Guandalini et al. (2006) and in Guandalini & Busso (2008).

For the purposes of the present work we use the bolometric corrections of Figures 1 and 2, applying them to a sample of AGB stars showing highly dispersed Li abundances (from Li-rich to Li-poor). For these sources we determine the apparent bolometric magnitude and we use the recent revision of the Hipparcos catalogue (van Leeuwen 2007), to infer the absolute magnitude. The AGB stars considered, their magnitudes and their Li abundances are shown in Table 1. In Table 2 we present a second sample, made of RGB stars. The bolometric magnitudes are taken from the literature, with distances updated by van Leeuwen (2007). Some explanations can be useful in presenting the sources in Tables 1 and 2.

A) Horizontal lines in the tables divide the stars of the sample in a few sub-groups, according to their spectral classification; from top to bottom we find:

Table 1: AGB sample

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Source Name	Sp. Type	D (kpc)	$\mathrm{m}_{bol}$	$M_{bol}$	$\delta M_{bol}$	$\text{Log } \varepsilon(\text{Li})$					
WZ Cas	C9,2JLi(N1P)	0.88	3.16	-6.56	1.26	$+5.80^{a,b}$					
Y CVn	C5,4J(N3)	0.32	1.73	-5.80	0.49	$-0.40^{a,b}$					
RY Dra	C4.5J(N4P)	0.43	3.10	-5.07	0.80	$-0.45^{a,b}$					
T Lyr	C-J4:p C2 5 j3.5	0.72	2.86	-6.43	1.02	$+2.20^{a}$					
VX And	C-J4.5 C2 5 j5 MS5	0.39	3.88	-4.09	0.93	$+2.60^{c}$					
V614 Mon	C4.5J(R5)	0.47	4.43	-3.95	1.23	$+1.30^{c}$					
Z Psc	C7,2(N0)	0.38	3.53	-4.40	0.78	$-1.30^{a,b}$					
R Scl	C6.5EA(NP)	0.27	2.55	-4.61	0.68	$-0.40^{a,b}$					
U Cam	C3,9-C6,4E(N5)	0.97	3.25	-6.69	1.50	$-0.75^{a,b}$					
ST Cam	C5,4(N5)	0.99	3.21	-6.76	1.65	$-0.50^{a,b}$					
R Lep	C7,6E(N6E)	0.41	2.88	-5.20	1.17	$-1.10^{a,b}$					
W Ori	C5,4(N5)	0.38	2.19	-5.70	1.03	$-1.05^{a,b}$					
Y Tau	C6.5,4E(N3)	0.36	3.07	-4.72	1.03	$-0.80^{a,b}$					
TU Gem	C6,4(N3)	0.52	3.55	-5.03	0.68	$-0.55^{a,b}$					
BL Ori	C6,3(NB,TC)	0.60	3.37	-5.52	0.68	$-1.10^{a,b}$					
W CMa	C6,3(N)	0.79	3.54	-5.95	0.68	$-1.20^{a,b}$					
X Cnc	C5,4(N3)	0.34	2.71	-4.94	0.83	$-1.00^{a,b}$					
Y Hya	C5,4(N3P)	0.39	3.19	-4.77	0.63	$-0.90^{a,b}$					
VY Uma	C6,3(N0)	0.38	3.15	-4.75	0.54	$-0.50^{a}$					
S Sct	C6,4(N3)	0.39	3.30	-4.66	0.73	$-0.50^{a,b}$					
V Aql	C5,4-C6,4(N6)	0.36	2.55	-5.23	0.79	$-0.65^{a,b}$					
UX Dra	C7,3(N0)	0.39	3.03	-4.90	0.49	$+0.10^{a,b}$					
AQ Sgr	C7,4(N3)	0.33	3.51	-4.11	0.43 $0.74$	$-0.95^{a,b}$					
V460 Cyg	C6,4(N1)	0.62	2.89	-6.08	0.74	$-0.90^{a,b}$					
TX Psc	C7,2(N0)(TC)	0.02 $0.28$	2.03	-5.21	0.48	$-0.65^{a,b}$					
CR Gem	C8,3E(N)	$0.25 \\ 0.35$	4.28	-3.44	1.78	$-0.00^{a}$					
RS Cyg	C8,2E(N0PE)	0.35 $0.47$	3.99	-4.39	1.17	$-0.50^{a}$					
RV Mon	C4,4-C6,2(NB/R9)	0.52	4.56	-4.02	0.99	$-1.00^{a}$					
RY Mon	C5,5-C7,4:(N5/R)	0.43	3.66	-4.52	0.97	$+0.50^{a}$					
S Cep	C7,4E(N8E)	0.41	2.70	-5.35	0.82	$+0.00^{a}$					
TT Cyg	C5,4E(N3E)	0.56	$\frac{2.10}{4.57}$	-4.18	0.87	$+0.70^{a}$					
TU Tau	C-N4.5 C2 6	0.43	4.30	-3.89	1.35	$-0.50^{a}$					
V Cyg	C5,3E-C7,4E(NPE)	0.37	2.74	-5.08	1.51	$-1.00^{a}$					
Y Lyn	M6SIB-II	0.25	1.66	-5.33	0.77	$-2.00^{d}$					
RS Cnc	M6EIB-II(S)	0.14	0.52	-5.21	0.41	$-2.00^{d}$					
V1981 Cyg	S4/1III	0.30	3.43	-3.96	0.46	$-2.00^{d}$					
bet And	M0+ IIIa	0.06	0.17	-3.74	0.32	$\frac{2.00}{-0.48^e}$					
CU Dra	M3III	0.11	2.09	-3.19	0.32	$-1.50^{e}$					
BY Boo	M4-4.5III	0.16	2.15	-3.84	0.34	$-0.87^{e}$					
OP Her	M5IIB-IIIA(S)	0.30	2.47	-4.92	0.42	$-2.00^{d}$					
V2652 Sgr	M9	$\simeq 8.0$	9.98	-4.52	0.30	$+2.00^{f}$					
V3252 Sgr	M7	$\simeq 8.0$	9.74	-4.76	0.30	$+1.10^{f}$					
V3537 Sgr	M9S	$\simeq 8.0$	9.22	-5.28	0.30	$+0.80^{f}$					
V2017 Sgr	M7S	$\simeq 8.0$	9.07	-5.43	0.30	$+0.80^{f}$					
1 2011 081	11110	_ 0.0	0.01	0.40	0.00	1 0.00					

For Log  $\varepsilon$ (Li): <sup>a</sup>Boffin et al. (1993), <sup>b</sup>Denn et al. (1991), <sup>c</sup>Abia & Isern (2000), <sup>d</sup>Vanture et al. (2007), <sup>e</sup>Luck & Lambert (1982), <sup>f</sup>Uttenthaler et al. (2007), <sup>g</sup>Lambert et al. (1980), <sup>h</sup>Mallik (1999), <sup>i</sup>Charbonnel & Balachandran (2000), <sup>j</sup>Brown et al. (1989).

Table 2: RGB sample

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Source Name	Sp. Type	D (kpc)	$\mathrm{m}_{bol}$	$M_{bol}$	$T_{eff}$ (K)	$\text{Log } \varepsilon(\text{Li})$					
alpha Boo	K1.5III	0.01	-0.82	-1.08	4290	$-1.50^{g}$					
beta UMi	K4III	0.04	1.02	-2.00	4000	$-1.50^{g}$					
alpha Ser	K2IIIb	0.02	1.92	0.14	4300	$-0.28^{g}$					
gamma Dra	K5III	0.05	1.18	-2.20	4000	$-0.80^{g,h}$					
HD 787	K4III	0.19	4.15	-2.25	$3990^{1}$	$+1.80^{i}$					
HD 30834	K3III	0.18	3.81	-2.52	$3920^{1}$	$+1.80^{i}$					
HD 39853	K5III	0.20	4.53	-2.01	$3920^{1}$	$+2.80^{i}$					
HD 121710	K3III	0.18	4.05	-2.20	$4100^{2}$	$+1.50^{i}$					
HD 146850	K3IIICNpv	0.33	4.98	-2.59	$4200^{3}$	$+2.00^{i}$					
HD 9746	K1III:	0.16	5.51	-0.47	$4420^{2}$	$+3.75^{i}$					
HD 148293	K2III	0.09	4.71	-0.06	$4640^{2}$	$+2.00^{i}$					
HD 183492	K0III	0.09	5.10	0.29	$4720^{1}$	$+2.00^{i}$					
HD 219025	K2IIIp	0.26	7.03	-0.06		$+3.00^{i}$					
HD 3817	G8III	0.11	4.85	-0.34	$5020^{2}$	$<+0.70^{j}$					
HD 3856	G9III–IV	0.16	4.90	-1.10	$4750^{2}$	$+1.20^{j}$					
HD 4627	G8III	0.18	5.28	-0.96	$4610^{2}$	$<+0.00^{j}$					
HD 19845	G9III	0.12	5.33	0.00	$4830^{2}$	$<+0.30^{j}$					
HD 78235	G8III	0.08	5.08	0.46	$5000^{2}$	$+0.80^{j}$					
$HD\ 108225$	G9III	0.08	4.66	0.14	$4960^{2}$	$<+0.60^{j}$					
HD 119126	G9III	0.10	5.14	0.07	$4750^{2}$	$<+0.20^{j}$					
HD 120048	G9III	0.13	5.49	-0.09	$4890^{2}$	$+1.00^{j}$					
HD 129336	G8III	0.12	5.09	-0.37	$4940^{2}$	$<+0.50^{j}$					
HD 134190	G7.5III	0.08	4.75	0.26	$4880^{2}$	$<+0.40^{j}$					
HD 141680	G8III	0.08	4.59	-0.02	$4750^{2}$	$<+0.20^{j}$					
HD 152815	G8III	0.08	4.90	0.31	$4900^{2}$	$<+0.40^{j}$					
HD 158974	G8III	0.12	5.14	-0.28	$4890^{2}$	$<+0.40^{j}$					
HD 163532	G9III	0.12	4.40	-1.04	$4710^{2}$	$<+0.20^{j}$					
HD 171391	G8III	0.10	4.44	-0.58	$4980^{2}$	$+1.20^{j}$					
HD 176598	G8III	0.10	5.25	0.34	$4925^{2}$	$+1.10^{j}$					
HD 186675	G7III	0.09	4.49	-0.24	$4910^{2}$	$<+0.30^{j}$					
HD 192944	G8III	0.13	4.77	-0.87	$4900^{2}$	$<+0.30^{j}$					
HD 194013	G8III-IV	0.08	4.86	0.46	$4850^{2}$	$<+0.40^{j}$					
HD 201381	G8III	0.05	4.04	0.60	$4960^{2}$	$<+0.50^{j}$					
HD 211391	G8III	0.06	3.68	-0.11	$4900^{2}$	$<+0.30^{j}$					
HD 211554	G8III	0.19	4.87	-1.51	$4920^{2}$	$+0.50^{j}$					
HD 215030	G9III	0.09	5.41	0.60	$4800^{2}$	$+0.60^{j}$					

For  $T_{eff}$ : <sup>1</sup>Melo et al. (2005), <sup>2</sup>Brown et al. (1989), <sup>3</sup>Charbonnel & Balachandran (2000). For Log  $\varepsilon$ (Li): <sup>a</sup>Boffin et al. (1993), <sup>b</sup>Denn et al. (1991), <sup>c</sup>Abia & Isern (2000), <sup>d</sup>Vanture et al. (2007), <sup>e</sup>Luck & Lambert (1982), <sup>f</sup>Uttenthaler et al. (2007), <sup>g</sup>Lambert et al. (1980), <sup>h</sup>Mallik (1999), <sup>i</sup>Charbonnel & Balachandran (2000), <sup>j</sup>Brown et al. (1989).

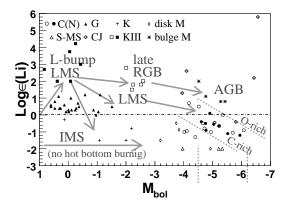


Figure 3: The sample of cool red giants showing Li in their spectra. Arrows indicate the suggested evolutionary path induced by extramixing. Dashed lines roughly limit the region occupied by C(N) giants and their range of luminosities as inferred from the empirical Luminosity Function of Figure 4. The dash-dotted line indicates the maximum Li abundance observed in pop. II red giants.

- In Table 1: 1) CJ stars, 2) the C(N) sample, 3) S-type sources, 4) M-type giants and finally 5) a few O-rich AGB sources of the Galactic bulge from Uttenthaler et al. (2007).
- In Table 2: 1) A sample of close-by, Li-poor K-type stars, 2) a similar one for Li-rich K-type sources, 3) a group of G-type, Li-depleted giants.
- B) As mentioned, distances (in kpc) are in general from van Leeuwen (2007). For three sources in Table 1, for which the Hipparcos' parallaxes are not available, we use the data from Bergeat & Chevallier (2005). For the four stars of the bulge the estimates of the distance and therefore also the absolute bolometric magnitudes are taken from Uttenthaler et al. (2007).
- C) The apparent bolometric magnitude of the sources in Table 1 was obtained through the integration of the data from ISO, 2MASS, MSX and IRAS-LRS at different wavelengths and by applying the bolometric corrections suitable for their chemical type. Concerning K-type stars, due to their known distance and luminosity, both their apparent and absolute bolometric magnitude are taken from the available literature.
- D) In Table 1 a typical uncertainty of 0.25 mag can be attributed to apparent magnitudes; the uncertainty on the distance is given by van Leeuwen (2007).
- E) For the two sub-groups at the bottom of Table 2 (second and third one) we calculated the magnitudes from data available in the literature (Charbonnel & Balachandtervals of normal C stars. We believe that also their 2000; Takeda et al. 2005), updated with new estimates of the distance.
- F) The Li abundances were taken from various references: the full lists are shown in the footnotes to the tables. In the case of sources with multiple references we used an average of the data available.
- G) The effective temperatures presented in Table 2 come from the list of references indicated in the footnote to the same Table.

## 3 On the Luminosities of Red Giants Showing Li

Figure 3 presents the selected sample of evolved stars showing Li in their spectra, after correcting their luminosities with the criteria described in the previous section. The plot shows several groups of stars. As compared to the ISM Li abundances, many of the stars in our sample are strongly depleted in Li (log  $\varepsilon(\text{Li}) \leq 1$ ). Two main outlying groups exist (including mainly K giants) with Li abundances near log  $\varepsilon(\text{Li}) \simeq 2$ . A few super-Li rich stars are also present, with log  $\varepsilon(\text{Li}) \geq 3$ . We shall not discuss super-Li rich stars in this paper, as they are often peculiar objects (like CJ giants). Their high Li abundance can be produced either by a relatively fast extra-mixing in LMS or by Hot Bottom Burning in more massive AGB stars.

The group of stars at the left of the plot, with  $\log \varepsilon(\text{Li}) \simeq 2$ , is made of K giants with luminosities typical of the L-bump on the RGB. In agreement with Charbonnel & Balachandran (2000) we consider them as being stars newly enriched in Li. After the extensive depletion of Li in the Main Sequence and in the early RGB phases, their envelopes must have seen some form of rapid mixing implementing a Cameron-Fowler mechanism, thus bringing to the surface fresh <sup>7</sup>Be synthesized above the H-burning shell.

The second moderately Li-rich group was interpreted by Charbonnel & Balachandran (2000) as being formed by early-AGB stars, producing Li (after some destruction in the late RGB phases). Inspection of stellar models, however, reveals that the early-AGB stages suitable to reproduce the luminosities and temperatures of these K giants fall in a temporal phase where the H shell is extinguished, so that no <sup>7</sup>Be survives to be carried to the surface. We must therefore tentatively conclude that a new production of Li on the early-AGB at temperatures and luminosities compatible with observations does not occur and therefore the observed Li must be a relic of the previous production on the RGB. We actually interpret this group of stars as being in the upper part of the RGB itself (see next section).

On the right side of the plots we find AGB stars, either from the galactic disk or from the galactic bulge: these last are O-rich, while for the galactic disk most (although not all) Li observations concern C-rich stars. As an eye-guide we have marked by dashed lines the region occupied by C(N) giants, and in Figure 4 we also report their Luminosity Function, as determined by the works mentioned in Section 2. Vertical dashed lines on the two figures allow one to realize that Libearing C(N) stars belong to the typical luminosity httervals of normal C stars. We believe that also their Li abundances should represent typical trends.

# 4 Modeling the Li Production and Destruction

As discussed elsewhere (Palmerini et al. 2008) mixing mechanisms induced by magnetic buoyancy offer a scenario in which both fast and slow matter circulation can occur. A simple example of fast transport is by magnetic instabilities, when portions of a magnetic  $\Omega$ -shaped loop detach and travel the radiative layers above the H shell and the convective envelope at a velocity close to the Alfvén speed. In this case Be is produced by normal H-burning above the H-shell, refueled by fresh <sup>3</sup>He carried down by the mixing. When fields grow above a certain limit, buoyant instabilities are released sporadically, transporting (without local mixing) their composition to the surface. This form of Li production has an intrinsic limit in the fact that no burning occurs along the path, so that the maximum Li abundance reachable is set by the equilibrium Be concentration near the H shell (this corresponds to about  $\log \varepsilon_{Max}(Li) = 2 - 2.5$ .

Alternatively Li can be produced by a slower mixing process, where  $^{3}$ He has time to burn along the path; the mechanism must however be still fast enough to save some of the produced Be. In general, producing or destroying Li depends on a delicate equilibrium of at least four different parameters: i) the velocity of mixing; ii) its maximum penetration (hence the maximum temperature reached,  $T_P$ ); iii) the initial Li content; and iv) the time available for the process.

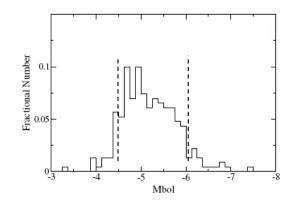


Figure 4: The Luminosity Function of C(N) stars (see text). Vertical dashed lines establish a rough fiducial interval for the luminosities, as also indicated in Figure 3.

We adopt the formalism by Palmerini & Busso (2008), derived from the idea presented by Busso et al. (2007a) for magnetically-induced mixing. With these tools we try here to account for the observed Li abundances in evolved LMS.

We consider two different types of magnetic buoyancy, which can be described as follows.

i) (Model A). Integrating the assumptions by Busso et (2007a), we consider a phase of magnetic field growth, at the L-bump, where fields are assumed to be not strong enough to promote the buoyancy of entire flux tubes; only local instabilities can detach from regions near the H shell, traveling at the Alfvén speed  $B/\sqrt(4\pi\rho)$ , up to a few Km/sec. In our exercise, the release of unstable magnetized bubbles is fine-tuned to produce a

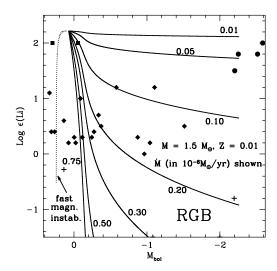


Figure 5: RGB stars showing Li and model results from the mixing processes discussed in the text. Rhombs are GIII stars from Brown et al. (1989); Takeda et al. (2005). Filled squares are stars at the L-bump from Charbonnel & Balachandran (2000)); crosses are K giants; filled squares are RGB stars that remained Li-rich. The dotted line indicates Li enrichment through fast magnetic instabilities. Solid lines show the effects of slower transport at different mixing rates. This might be induced by the buoyancy of large structures, exchanging heat with the environment.

rate of mass addition to the envelope of  $10^{-6}~M_{\odot}/{\rm yr}$  and the Alfvén velocity is computed adopting field strengths from Busso et al. (2007a). An equally fast downflow of envelope material guarantees mass conservation, replenishing the inventory of <sup>3</sup>He in the radiative regions. No burning occurs in the circulation, because the motion is very fast. The net effect, for the production of Li, is the mixing of the "normal" <sup>7</sup>Be (produced near the H shell) into the envelope, where it will decay to Li. Contemporarily, the <sup>3</sup>He abundance at the surface decreases.

ii) (Model B). As an opposite case, we consider that, when the fields have grown sufficiently, larger structures, or even entire flux tubes become buoyant, driving a circulation of mass that slows down due to the gradual heat exchange between the magnetized zones and the environment (heat exchanges grow with the surface of the emerging structure). The speed is reduced down to values of few cm/sec (Denissenkov et al. 2009). Again, <sup>3</sup>He is destroyed at various efficiencies, depending on the parameters mentioned above. The new property of our model is that, if magnetic fields are at the origin of the transport, then one has a justification for both fast and slow regimes of circulation, and for both production or destruction of Li; a single physical mechanism can explain very different outcomes, depending on the parameters (and observations

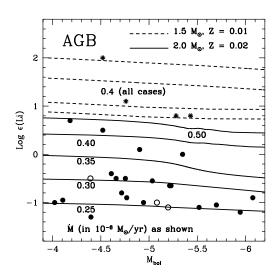


Figure 6: AGB stars showing Li and model results from magnetic mixing. Circles are C(N) stars (the empty ones with larger luminosity uncertainties); asterisks show O-rich AGB objects in the galactic bulge (Uttenthaler et al. 2007): the most luminous of them also show Tc in their spectra.

will then provide the key information on the parameter values). Models of extra-mixing so far presented lack this characteristic, as diffusive processes induced by either rotational effects or thermohaline mixing have a very low velocity.

Magnetic fields can even generate more complex schemes of mixing, e.g. with upward and downward fluxes occupying different mass fractions and traveling at different speeds. We shall afford a more complete analysis, including those possibilities, in a forthcoming paper. For the sake of illustration it can be now sufficient to limit the discussion to the simple and rather extreme cases of Models A and B.

As mentioned, we apply Model A at the luminosity bump, then we switch to the slow circulation of Model B. This way of proceeding is rather ad-hoc, although it might be qualitatively reasonable. We do not know enough of magnetic fields in red giants to claim that our hypotheses are really the correct ones, but they have at least a basis in the observations, showing Lirich stars at the L-bump and (mostly) Li-poorer stars in more evolved stages (again excluding super Li-rich objects). Ours is therefore an exercise, aiming at showing how, with suitable assumptions, magnetic buoyancy can in fact offer a framework where the puzzle of Li production and destruction can find a solution.

With the above cautions in mind, Figures 5 and 6 present the results of our effort. In Figure 5 we show, by a dotted line, the effects of applying Model A over a composition typical of the post-main sequence phase. Li is rather rapidly produced (in a few million years) up to levels of log  $\varepsilon(\text{Li}) = 2 - 2.5$  (depending on the depth of mixing and on the temperature distribution).

The example shown is for a 1.5  $M_{\odot}$  model of half solar metallicity but is rather typical of the intervals 0.01  $< Z < 0.02, 1.5 < M/M_{\odot} < 2$ . The solid lines represent instead results of the application of Model B with various (moderate) rates for mass circulation. As the Figure 5 shows, by varying this rate one can explain the whole range of Li destruction displayed by observed red giants, and even an almost complete Li survival, thus accounting for the few cool Li-rich stars. This substantiates our suggestion that they are late RGB objects where Li was not destroyed, not early-AGB stars where Li was newly produced. The maximum temperature achieved by mixing  $(T_P)$  is chosen at the position where the equilibrium <sup>7</sup>Be has its maximum, near  $\log T_{\rm H} - \log T_{\rm P} = 0.3$ . One can notice that, for this  $T_P$  value, the destruction of Li becomes efficient only for the higher M values shown. However, if  $\dot{M}$  were further increased one might obtain an excessively fast circulation, and Li would be produced. Li production occurs when  $\dot{M}$  is above a limiting value, somewhere between  $10^{-6}$  and  $10^{-5}$  M<sub> $\odot$ </sub>/yr, the actual value depending on  $T_P$  and on the time available for the mixing to operate. The large number of different possible outcomes thus forms a real zoo, in which only observations can effectively constrain the parameters.

Finally, Figure 6 illustrates the effects of applying Model B, with moderate mass circulation rates, to AGB stars of 1.5 - 2.0  $M_{\odot}$ . No change would be seen by adopting the same rule for  $T_P$  used for the RGB ( $\log T_{\rm H} - \log T_{\rm P} = 0.3$ ) (the time available is too short on the AGB). We have therefore pushed  $T_P$ to its maximum possible value that still does not disturb the stellar equilibrium ( $\log T_{\rm H} - \log T_{\rm P} = 0.1$ ). Even so, with moderate transport rates the changes are rather small and would indicate that most of the Li production or destruction has occurred previously, on the RGB. Stronger transport rates would induce Li production also on the AGB, but they might also imply strong difficulties in saving enough carbon to allow the stars to become C-rich. These are general indications, not firm conclusions, as we have seen that several parameters affect Li abundances.

In conclusion our results can be summarized as follows:

i) Outlining the details of Li production and destruction requires a careful analysis of the bolometric magnitudes of the observed stars, as discussed in Section 2. ii) Magnetic buoyancy might offer a framework for interpreting both moderately Li-rich and Li-poor stars. iii) Extensive Li processing is generally accompanied by <sup>3</sup>He destruction, which fact should be relevant for reconciling the inventory of this nucleus with Big Bang and stellar nucleosynthesis (Sackmann & Boothroyd 1999). iv) When the <sup>3</sup>He destruction is very effective, and thermohaline mixing might be therefore inhibited (Denissenkov et al. 2009), magnetic buoyancy might still offer a viable mechanism for explaining extra-mixing effects. v) O-rich AGB stars might experience extramixing processes differently than C-rich ones, with the tendency to favour higher Li abundances. We remember that also AGB luminosities (Guandalini & Busso 2008) and N abundances (Smith & Lambert 1990) suggest differences between MS-S and C(N) stars, according to which only rarely the former class of objects will evolve to the latter one. More often, they will preserve a different surface composition and a different C/O ratio because they have different initial masses.

In a different paper of this volume (Palmerini et al. 2008) we examine the consequences of the mixing schemes here discussed for the isotopic ratios of CNO elements and for <sup>26</sup>Al.

## Acknowledgments

This research was supported by the Italian Ministry of Research under contract PRIN2006-022731. The idea of mixing by magnetic buoyancy was developed in common with G.J. Wasserburg and K.M. Nollett.

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